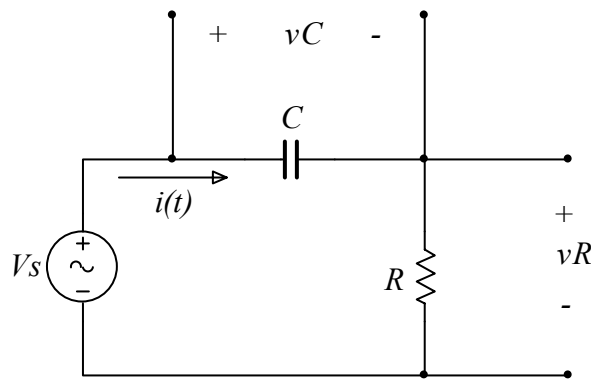


MASSACHUSETTS INSTITUTE OF TECHNOLOGY
22.071/6.071 Introduction to Electronics, Signals and Measurement
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Laboratory 11. Sinusoidal Steady State Response of RC and RL circuits.

We started looking at the circuit below last time but now that we have studied the Sinusoidal Steady State problem we will investigate it in more detail.



We will apply various forms for the voltage V_s and measure the response (i.e. look at the voltages v_R and v_C .)

Build the circuit with $C = 47\text{nF}$ and $R = 1.5\text{k}\Omega$.

First we will investigate the natural response of the system in order to measure the time constant RC which represents the natural response of the circuit.

To do this we will use a square wave signal for V_s of amplitude 5Volts and a frequency of 1kHz. Look at the output v_R and draw the signal below.

Calculate the RC time constant for the components you use and identify it in the plot you just drew above.

Next we will use the sinusoidal signal $V_s = V_o \cos(2\pi f t)$ and observe the signals v_C and v_R for $V_o = 5$ Volts and $f=1$ kHz.

Compare the frequency and the phase of the voltages v_R and v_C to the source voltage V_s . At these values ($V_o = 5$ Volts and $f=1$ kHz) what is the amplitude of the voltage v_C and v_R ? (use the oscilloscope to try and read the phase by comparing v_C and v_R to V_s)

Select a frequency ω such that the quantity $\omega RC=1$. At this condition what is the amplitude of the voltage v_C and v_R compared to the amplitude of the voltage V_s .

Now change the frequency (while keeping the amplitude constant) of the voltage V_s and observe the signals v_R and v_C with your oscilloscope. Draw the amplitude of v_R and v_C as a function of ωRC



For extra credit: replace the 47nF capacitor with a 47mH inductor and repeat the experiments in this page.